Mark Scheme 4732 June 2006

Note: "(3 sfs)" means "answer which rounds to ... to 3 sfs". If correct ans seen to \geq 3sfs, ISW for later rounding Penalise 2 sfs only once in paper.

	2 sfs only once in paper.	ı		
1(i)	Negative, because (grad or coeff of x in 1^{st}			Neg because x incr & y decr
	equn or x-value or reg coeff or B or -0.6) is			
	negative	B1	1	
(ii)	$x = -1.6 \times 7.0 + 21$	M1		Sub $y=7.0$ in 2^{nd} eqn. Allow 1 sign error
(11)	x = 9.8	1011		
	x = 9.8		•	If sub in both must choose 2nd
		A1	2	
(iii)	y = -0.6(-1.6y + 21) + 13 or similar	M1		Obtain correct eqn in 1 variable.
				Allow 1 num'l error
	$\bar{x} = 5, \ \bar{y} = 10$	A1A1	3	Allow without bars
Total		6		
Tutai	In and 2 0 2 % 122	Ŭ	~ C +	va mahahiliti aa??
2(:)	In qus 2 & 3 "prod" means		OI TV	vo provadimies
2(i)	⁴ / ₇ or 0.571 (3 sfs)	B1	1	
	5 4 2 5			
(ii)	$^{5}/_{8} \times ^{4}/_{7} + ^{3}/_{8} \times ^{5}/_{8}$	M1M1		M1: one correct prod or add any two prods
				M1: all correct
	$=\frac{265}{448}$ or 0.592 (3 sfs)	A1	3	
	, ,			
(iii)	$^{3}/_{8} \times ^{5}/_{8} + ^{5}/_{8} \times ^{3}/_{7}$	M1M1		M1: one correct prod or add any two prods
(111)	, , , , , , , , , , , , , , , , , , ,	1,11,1,11		M1: all correct
	$= \frac{225}{448}$ or 0.502 (3 sfs)	A1	3	TVII. uii Goilege
Total	7448 01 0.302 (3 313)	7		
Total		·		
2(:)	71	3.613.61		N1 71/(C + : 1) (21 2(1))
3(i)	$\left \frac{7!}{2! \cdot 2!} \right $	M1M1		M1: $7!/(a \text{ factorial})$; or ÷ $(3! \times 2(!))$
	3! x 2(!)		_	M1: all correct
	= 420	A1	3	
(ii)	<u>5!</u>	M1	-	M1: 5! seen (not part of a C) or 5 x 4!
	$\overline{2(!)}$			or 120 seen or $\dots \div 2(!)$ alone
	= 60	A1	2	
			_	
(iii)	$1 - {}^{4}/_{7} \times {}^{3}/_{6}$ or $1 - {}^{4}C_{2}/{}^{7}C_{2}$ or $1 - {}^{4}P_{2}/{}^{7}P_{2}$	M1M1		M1:1– prod or 1/ 7 C ₂ or 1– 4 C ₂ / (or Ps)
(111)	or $\frac{3}{7}$ x $\frac{2}{6}$ + $\frac{3}{7}$ x $\frac{4}{6}$ + $\frac{4}{7}$ x $\frac{3}{6}$ oe	17111711		or add 3 prods or add 2 correct prods
	or ${}^{3}C_{2}/{}^{7}C_{2} + {}^{3}C_{1}x^{4}C_{1}/{}^{7}C_{2}$			or ${}^{3}C_{2} / {}^{7}C_{2}$ or ${}^{3}C_{1}x^{4}C_{1} / {}^{7}C_{2}$
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$			
				or add ≥ 5 out of 7 correct prods
				M1: all correct
	5.			
	$= \frac{5}{7}$ or 0.714 (3 sfs)	A1	3	
Total		8		

4(i)	0.4207 or 0.421 (3 sfs)	B1		or 1 – 0.6167 or 0.3833 (3 sfs)
	$\begin{array}{c} \tilde{0.8^{25}} + 25x0.8^{24}x0.2 +^{25}C_{4}x0.4^{21}x0.2^{4} \\ 0.579(3) \end{array}$	B1 2		or 1- (6 correct terms, 0 to 5)
(ii)		M1 A1	2	
(iii)	$0.73^{9} = 0.059 0.73^{10} = 0.043$ Allow "=" thro'out $1 - 0.73^{n} > 0.95$ or $0.73^{n} < 0.05$ $n \log 0.73 < \log 0.05$ oe	M1 M1		or $1 - {}^{n}C_{0} \times 0.27^{0} \times 0.73^{n} > 0.95$ oe allow incorrect sign M1 must be correct ft (1 – 0.27) from (ii) for M1M1 10 with incorrect sign in wking: SCB2 10 with just $0.73^{9} = 0.059$: M1M1A1
Total	n = 10	A1 7	3	
5(i)	$ \frac{1}{3} + \frac{1}{4} + p + q = 1 $ oe $ 0 \times \frac{1}{3} + 1 \times \frac{1}{4} + 2p + 3q = 1^{1}/_{4} $ oe	B1 B1		
	equalize coeffs, eg mult eqn (i) by 2 or 3 Or make p or q subject of (i) or (ii) $p = \frac{1}{4}$, $q = \frac{1}{6}$ oe		5	allow one error. ft their equns subst or subtr not nec'y
(ii)	$\sum x^2 p \text{ (not } /4 \text{ or } /3 \text{ etc)} \qquad (= 2^3/_4)$ $- (1^1/_4)^2$	M1 M1		\geq 2 non-zero terms correct. dep +ve result indep if +ve result or $x-1^{1}/4^{2}p$ (\geq 2 (non-0) terms correct): M2 ft (i) (0 \leq p, q \leq 1) or letters p, q both M1s
	= 1.1875 or $1^{3}/_{16}$ oe sd = $\sqrt{\text{(their 1.1875)}}$ = 1.09 (3 sfs)	A1 B1f	4	cao dep 1st M1 & $\sqrt{(+\text{ve no.})}$ eg $\sqrt{2.75} = 1.66$
Total		9		

6(i)(a)	Ranks: 2 4 7 5 3 1 6 6 4 1 3 5 7 2 7 1 6 3 2 5 4 1 7 2 5 6 3 4 Σ d ²	M1 A1 M1		≥ 5 ranks correct in each set all correct dep ranks attempted even if opp orders,
	$ (= 60) $ $ r_{s} = 1 - \frac{6 \times 60}{7 \times 48} $	M1		allow arith errors Correct formula with $n = 7$, dep 2^{nd} M1
(b) (c)	7×48 $= -\frac{1}{14} \text{ or } -0.071 \text{ (3 dps)}$ Little (or no) connection (agreement, rel'nship) between dist and commission Allow disagreement Unchanged. No change in rank	B1ft	1	calc r for ranks: $S_{xx} = S_{yy} = 140 - 28^2/7$. $S_{xy} = 110 - 28^2/7$ (= 28) (= -2) corr subst in one corr S (any version):M1 corr subst in $r = S_{xy} / \sqrt{(S_{xx}S_{yy})}$:M1 -0.07 without wking: M1A1M2A0 No mks unless $ r_s \le 1$ ft their r_s Must refer to context. Not "little corr'n between dist and com" not "strong disagreement" Ignore other comment
(ii)(a)	= -1	B1	1	indep
(b)	Close to -1 or, eg ≈ -0.9	B1		cao
				not referring to "corr'n" rather than r allow "neg", not neg corr'n or neg skew
Total		10		

7(i)				Correct (149.5)	With 150	<u>Tot =</u>	
, (-)	Midpoints attempted ≥ 2 classes	M1		<u>eoneer (1 19.5)</u>	<u> </u>	$\frac{100}{2000}$	
	$\sum xf/100 \text{ or } \sum xf/\sum f \text{ attempted } \ge 2 \text{ terms}$	M1					
	x within class, not class width			2720.5/100	2725/100	Allow	
	Mean = 27.2 (to 3 sfs) (not 27.25)			_,_,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,,	_,_,,,,,,,,	Ms	
	art 27.2 from fully correct wking	A1					
	$\sum r^2 f$ or $\sum r - \overline{r} r^2 f$ > 2 terms	M1				& poss	
	$\sum x^2 f \text{or} \sum x - \overline{x})^2 f \ge 2 \text{ terms}$ $\sqrt{(\sum x^2 f / 100 - \overline{x}^2)} \text{ or } \sqrt{((\sum x - \overline{x})^2 f / 100)} \text{ or}$	1411				As	
	$/\Sigma f$	M1					
	fully corr method, not \(\sqrt{neg} \)	1411		27.2	27.25		
		A1	6	240702.25	242050		
	= 40.5 to 41.1 (3 sfs)			40.82	40.96		
(;;)	Recog LQ in 1 st class & UQ in 3 rd class	B1		allow class widths	s for 2nd M1 of	nly	
(ii)	Recog LQ in 1 class & UQ in 3 class	ы					
	Graph: Interp:						
	Attempt $25(.25)^{th}$ value LQ = 3.0 to 4.3						
	Attempt $75(.75)^{th}$ value UQ =27 to 29	M1		both nec'y			
	Stalleton of	3.41		1 D1 - M1			
	Subtract IQR = 23 or 24 or 25	M1 A1	<u>,</u>	dep B1or M1			
(iii)(a)	Increase	B1	<u>4</u> 1	integer. dep M2			
(h)(a)	Increase	B1	1	Ignore "probably" etc			
(c)	No change	B1	1	ignore probably etc			
Total		13					
8(i)	Geometric.	B1					
	Each attempt (or result or try) indep	B1	2	In context. Not "events, trials, outcomes". Ignor			
				extra			
(ii)(a)	$(^{2}/_{3})^{3} \times ^{1}/_{3}$	M2		$(^{2}/_{3})^{2}x^{1}/_{3}$ or $(^{2}/_{3})^{4}x^{2}$			
	8.			allow other numerical " p " (0< p <1):M1			
	$=$ $^{8}/_{81}$ or 0.0988 (3 sfs)	A1	3				
(b)	$(^{2}/_{2})^{3}$	M1		not $(^2/_3)^3$ x			
(0)	$(^{2}/_{3})^{3}$ 1 - $(^{2}/_{3})^{3}$	M1		or $\frac{1}{3} + \frac{2}{3}x^{1}/_{3} + \frac{2}{3}$	$(x_3)^2 x^1 / x_3$	M2	
	(·)		$1 - (^2/_3)^4$ or $1 - (^4/_3)^4$		$(q'')^4$ M1		
				or 3 terms, with 2	correct	M1	
				or 3 correct terms		M1	
				or "p" + "qp" + "q		M1	
	$= \frac{19}{27}$ or 0.704 (3sfs)	A1	3	or $1 - \text{sum of } 3 \text{ co}$	f 3 correct terms M1 "p" means num value, not 1		
	- 127 01 0.10 1 (3818)	A1	3	p^{-1}	ncans num väl	uc, 110t /3	
(iii)	3	B1f	1	or ¹ / _{"p"}			
(iv)	$1 - \frac{19}{27}$ 1 (1 – 0.7037) or 0.2963	M1		ft (b) for M1M1 n	nust see metho		
(11)	$ \begin{array}{c c} 1 - \frac{19}{27} \\ {\binom{8}{27}}^2 & x^{19}/_{27} \\ \end{array} \begin{array}{c} (1 - 0.7037) \text{ or } 0.2963 \\ 0.2963^2 & x & 0.7037 \end{array} $	M1		Allow figs rounde			
	2, 1			<i>5 0 0</i> 140			
	$= \frac{1216}{19683} = 0.0618 (3 sfs)$	A 1	3	cao. allow art 0.06	618 or 0.0617		
Total		13					
LAtal		12					

Total 72 marks